

OLIMPIADA DE MATEMATICĂ A SATELOR DIN ROMÂNIA
BAREM CORECTARE - ETAPA JUDEȚEANĂ
CLASA a VI-a 7.03.2020

Problema 1. (7 puncte)

a) $a + a + 1 + a + 2 + a + 3 = -2$(2p)

$4a = -8, a = -2$(2p)

$P = (-2) \cdot (-1) \cdot (0) \cdot (1) = 0$(1p)

b) $xy + x + y + 1 = 3 \Rightarrow (x + 1) \cdot (y + 1) = 3$(1p)

Perechile sunt: (2; 0), (0; 2), (-4; -2), (-2; -4).....(1p)

Problema 2. (7 puncte)

$x = 3 \cdot c_1 + 2 \mid -2 \Rightarrow x - 2 : 3$ }
 $x = 5 \cdot c_2 + 2 \mid -2 \Rightarrow x - 2 : 5$ }(3p)

$x = 7 \cdot c_3 \Rightarrow x : 7$

$(x - 2) \in M_{15} = \{15, 30, 45, 60, 75, \dots\}$(2p)

$x \in \{17, 32, 47, 62, 77, \dots\}$ } $x = 77$ (2p)

$x : 7$

Problema 3. (7 puncte)

a) $11a + 33b = 25a + 5b \Rightarrow 2b = a \Rightarrow b = 50\% \text{ din } a$ (2p)

b) $\frac{b}{a} = \frac{1}{2}$(1p)

$10b + 5c = 7b + 14c \Rightarrow b = 3c \Rightarrow \frac{c}{b} = \frac{1}{3}$(1p)

c) $b = 9; c = 3; a = 18$(3p)

Problema 4. (7 puncte)

Desen corect.....(1p)

a) $OA = OB$ } ULU
 $\sphericalangle O$ comun } $\hat{=} \Delta MAO \equiv \Delta NBO \Rightarrow OM = ON$(2p)
 $\sphericalangle MAO \equiv \sphericalangle NBO$

$OM = ON, OA = OB \Rightarrow AN = BM$ (1p)

b) $AN = BM$ } ULU
 $\sphericalangle ONB \equiv \sphericalangle OMA$ } $\hat{=} \Delta ACN \equiv \Delta BCM \Rightarrow AC = BC$(2p)
 $\sphericalangle NAC \equiv \sphericalangle MBC$

$OA = OB$ } LUL
 $AC = BC$ } $\hat{=} \Delta OAC \equiv \Delta OBC \Rightarrow \sphericalangle BOC \equiv \sphericalangle AOC \Rightarrow (OC \text{ este$
 $\sphericalangle OAC \equiv \sphericalangle OBC)$
 bisectoarea $\sphericalangle O$(1p)

„Binele ce-l faci la oarecine, ți-l întoarce vremea care vine”
 Anton Pann